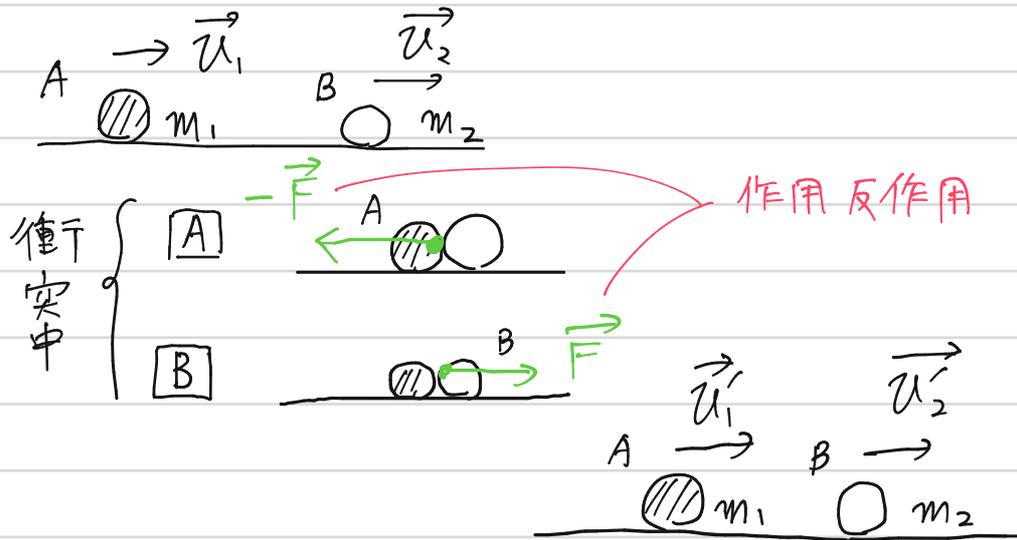


81



(ア)(イ)

運動量と力積の関係より,

$$(\text{後}) - (\text{前}) = \text{力積}$$

$$\text{A} \quad m_1 \vec{u}_1' - m_1 \vec{u}_1 = -\vec{F} \Delta t \quad (\text{ア})$$

$$\text{B} \quad m_2 \vec{u}_2' - m_2 \vec{u}_2 = \vec{F} \Delta t \quad (\text{イ})$$

(ウ) 2式を合計して

$$m_1 \vec{u}_1' - m_1 \vec{u}_1 + m_2 \vec{u}_2' - m_2 \vec{u}_2 = 0$$

$$\Rightarrow m_1 \vec{u}_1 + m_2 \vec{u}_2 = m_1 \vec{u}_1' + m_2 \vec{u}_2' \quad (\text{ウ})$$

(エ)(オ)

成分ごとに運動量保存の式を立てると

$$(\text{前}) = (\text{後})$$

$$x \text{成分} : m_1 u_1 + m_2 u_2 = m_1 u_1' \cos \theta_1 + m_2 u_2' \cos \theta_2 \quad (\text{エ})$$

$$y \text{成分} : 0 = m_1 u_1' \sin \theta_1 + (-m_2 u_2' \sin \theta_2) \quad (\text{オ})$$